# FACULTY OF ENGINEERING 

## B.E. $4 / 4$ (EE/ Inst.) Il-Semester (Main) Examination, May 2011

## Subject : Optimization Methods (Elective-ii)

Note: Answer all questions of Part - A and answer any five questions from Part-B.

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\text { PART - A ( } 25 \text { Marks) }
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1. Classify the optimization problems
2. Locate the stationary points of the function $y=x^{3} / 2-x^{2} / 2$
3. State the assumptions made for Linear Programming
4. State the rules for finding the Dual of LPP

5. What are the limitations of Fibonacci method? 2 M
6. Draw the flow chart of general iterative scheme of optimization 3 M
7. Write the convergent criteria to terminate iterative process of steepest descent method
8. Explain the method of computation of $\left[\mathrm{B}_{\mathrm{i}}\right]$ in Quasi Newton method 3 M
9. With an example explain hop the non serial system is converted into an equivalent serial system
10. Define the following
a) Principle of optimality
b) Separable function

## PART - B ( 50 Marks)

11. a) Minimize the function $f=x_{1}^{2}+2 x_{2}^{2}+3 x_{3}^{2}$

Subjected to the constraints

$$
\begin{aligned}
& g_{1}=x_{1}-x_{2}-2 x_{3} \leq 12 \\
& g_{2}=x_{1}+2 x_{2}-3 x_{3} \leq 18
\end{aligned}
$$

Using Kuhn - Tucker conditions
b) State and prove the sufficient condition for a Single Variable Optimization Problem
12.a) A company produces washing machines and TV sets. The weekly production cannot exceed 35 washing machines and 30 TV sets. Two workers are required for a washing machine and one worker for a TV per week. Totally there are 85 workers in the company. The profits are Rs. 510 and Rs. 310 on washing machine and TV respectively. How many each item should the company produce in order to maximize the profit. Formulate into LPP and solve it graphically.
b) Draw the flow chart for the two phase simplex method
13.a) Minimize the function $f=x_{1}^{2}+3 x_{2}^{2}+6 x_{3}^{2}$ by Univariate method with starting point as $(1,-1,2)$ take $\varepsilon=0.01$.
b) Draw the flow chart for Powell's pattern search method of NLPP. 4 M

Minimize the function
$f(x, y)=x-y+2 x^{2}+2 x y+y^{2}$ starting from the point $\mathrm{X}_{1}=\left\{\begin{array}{l}0 \\ 0\end{array}\right\}$ by using
Fletcher - reeves method
10 M
15. Minimize the function $f\left(x_{1}, x_{2}\right)=50 x_{1}+100 x_{2}$

Subjected to the constraints

$$
\begin{aligned}
& 10 x_{1}+5 x_{2} \leq 1250 \\
& 4 x_{1}+10 x_{2} \leq 1000 \\
& x_{1}+1.5 x_{2} \leq 225 \\
& x_{1} \geq 0, x_{2} \geq 0
\end{aligned}
$$

Using Dynamic programming
16. Maximize $Z=x_{1}+2 x_{2}+3 x_{3}-x_{4}$ Subjected to

$$
\begin{aligned}
& x_{1}+2 x_{2}+3 x_{3}=15 \\
& 2 x_{1}+x_{2}+5 x_{3} \geq 20 \\
& x_{1}+2 x_{2}+x_{3}+x_{4} \geq 10
\end{aligned}
$$

$$
x_{1}, x_{2}, x_{3}, x_{4} \geq 0
$$

Using Big M method
17. Maximize the function $f(x)=0.85-\left[0.95 /\left(1+x^{2}\right)\right]-0.85 x \tan ^{-1}(1 / x)$ Using golden section method with $\mathrm{n}=8$.

