
(v) Since data on HT or $\beta$ is not given, we take the deviation of drawing TL at angle $\Phi$ from v itself. Actually, we know that TV at angle $\beta$ should pass through $v$ or HT. Here, we draw TL at $\Phi$ from $v$.


E GRAPHICS: PROJECTION OF LINES
(PROBLEMS ON TRACES)-Model 2
(vi) Now, a $2^{\text {nd }}$ deviation is used in getting the locus lines of end $B$.

The locus line of $B$ lies on line through $v$ but $F V$ is on VT line, we use ( $v$, VT) as base points for drawing the arcs

This is explained as below:
To get TL from FV, we know that FV has to be rotated about a' to same as a' level \& projected onto the TL line to get the locus of $B$.

Here, we rotate FV about VT instead of a'.
With VT as centre \& VT- $b_{2}{ }^{\prime}$ as radius, draw an arc to VT level at $b_{1}, \&$ project onto TL line through $\mathbf{v}$ to get $\mathbf{b}_{1}$.

On $b_{1}$, draw a line $\boldsymbol{\|}$ to $x y$ to get the locus of $B$.

(vii) Now to get the TV, project $\mathbf{b}_{2}$ ' on locus of $B$ to get $\mathbf{b}_{2}$.

Join $v-b_{2}$ and draw projector from a' to get $\underline{a}$ on $v-b_{2}$. HT lies on $\underline{a}$ itself as $a-b_{2}$ is the TV. $\mathrm{a}^{-b_{2}}$ represents the Top View TV at angle $\beta$.

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Thus, in this problem, there are 2 lines passing through $v$ instead of 1 in usual case.

Finally the true length has to be shown from a'. To get the TL, rotate the TV a-b $b_{2}$ about a \& project onto locus line through $\mathbf{b}_{2}{ }^{\prime}$ to get $b^{\prime}$.
$a^{\prime} b^{\prime}$ is the TL at angle $\boldsymbol{\theta}$.


The answer is as follows:
$\mathrm{TL}=74 \mathrm{~mm} ; \theta=38^{\mathbf{0}} ; \boldsymbol{\beta}=\mathbf{4 1}^{\mathbf{0}} ; \mathbf{H T = 1 2}$ below xy .




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(vi) Now, a $2^{\text {nd }}$ deviation is used in getting the locus lines of end $B$.

The locus line of $B$ lies on line through $v$ but $F V$ is on VT line, we use (v, VT) as base points for drawing the arcs

This is explained as below:
To get TL from FV, we know that FV has to be rotated about $b$ ' to same as $b$ ' level \& projected onto the TL line to get the locus of $A$.

Here, we rotate FV about VT instead of b’.
With VT as centre \& VT- $\mathbf{a}_{2}$ ' as radius, draw an arc to VT level at $a_{1}$ ’ $\&$ project onto TL line through $v$ to get $b$.

On b, draw a line \|to xy to get the locus of $B$.

(vii) Now to get the TV, project $\mathbf{a}_{2}$ ' on locus of $B$ to get $\mathbf{a}_{2}$.

Join $v-a_{2}$ and draw projector from $b^{\prime}$ to get $b$ on $v-b_{2} . b-a_{2}$ is the TV.
$\mathrm{a}^{-b_{2}}$ represents the Top View TV at angle $\beta$.
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To get TL b'-a', rotate TV b-a $\mathbf{a}_{2}$ about $b$ to a level $\&$ project to locus line of $A$ in HP to get $a^{\prime}$.


TL lies on this line


Join b'-a' to get TL at angle $\boldsymbol{\theta}$ with HP.
To get HT, project from h onto TV extended.

