| E GRAPHICS: $\quad \frac{\text { PROJECTION OF LINES }}{\text { (ANGLE TO BOTH HP\&VP) }}$ | S.RAMANATHAN ASST PROF <br> Ph: 9989717732 |
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| 10.17) A line AB 90 mm long is inclined at $\mathbf{3 0} 0^{\boldsymbol{0}}$ to the HP. Its end $\mathbf{A}$ is $\mathbf{1 2} \mathbf{~ m m}$ above the $\mathbf{H P}$ and $\mathbf{2 0}$ mm in front of the VP. Its front view measures 65 mm . Draw its projections and find its inclination with the VP. <br> Ans) Given data: $\begin{array}{lll} \mathbf{T L} & = & 90 \\ \boldsymbol{\theta} & = & 30^{0} \\ \mathbf{F V}= & 65 \\ \left(\mathbf{a}^{\prime}, \mathbf{a}\right)= & (12,20) ; \end{array}$ <br> Logic: $\quad$ Since the $T L$ and $F V$ are given, we can get the projections in the FV. To get the projections in TV, we use the simple rule of drawing the $F V$ parallel to $x-y$ line and projecting it below to cut the TL w.r.t VP. | 10.15) Incomplete projection of a line inclined at $30^{\circ}$ to the HP is given in Fig. Find the true length of the line and its inclination with the VP. <br> Ans) Given data: $\begin{aligned} &\left(\mathbf{p}^{\prime}, \mathbf{p}\right)= \\ & \boldsymbol{\theta}= \\ & \boldsymbol{\beta}=\mathbf{3 0}^{\mathbf{0}} \\ & \mathbf{L T V}=\mathbf{4 5}^{\mathbf{0}} \\ & \mathbf{L 5 .} . \end{aligned}$ <br> Logic: $\quad$ Since the TL and $\Phi$ are to be found, the given angle in fig is $\beta$ and the line on it will be TV. Also the LTV is given as 65 . Hence TV is found from this. Use the simple rule of drawing the TV parallel to $x-y$ line and projecting it above to cut TL w.r.t HP. |
| Steps: 1) $\operatorname{Mark}\left(a^{\prime}, a\right)=(12,20)$ from $x-y$. <br> 2) Draw TL a'b' $=90$ at $\boldsymbol{\theta}=30^{\circ}$ and then draw its top view SL ab. <br> 3) Draw LFV on b' and FV a' ${ }_{2}{ }^{\prime}$ with a' as centre and 65 radius. ( $\mathrm{FV}=65$ ). <br> 4) $\quad$ Draw $F V=65\left(a^{\prime} b_{1}{ }^{\prime}\right), \\|$ to $x-y$ at $a^{\prime}$. Project it below and cut arc of TL=90 from a to get LTV. <br> 5) On LTV, draw vertical line from b2' to get top view $b_{2}$. $a b_{2}$ is TV. <br> 6) Measure $\Phi, \alpha \& \beta$. | Steps: 1) $\quad \operatorname{Mark}(p, p)=(15,15)$ from $x-y$. <br> 2) Mark LTV at 65 mm from $x-y$ and draw $\boldsymbol{\beta}=\mathbf{4 5}^{\mathbf{0}}$ from a to get TV $\mathbf{a b}_{2}$. <br> 3) From $\mathbf{a}^{\prime}$, at $\boldsymbol{\theta}=30^{\circ}$, draw TL of unknown length. <br> 4) At a, draw TV \|| to $\mathbf{x}-\mathbf{y}\left(\mathrm{ab}=\mathrm{ab}_{2}\right)$ \& project it above to cut $\boldsymbol{\theta}=30^{0}$ to get TL ab'. <br> 5) Draw LFV at b' \& project $b_{2}$ to get $b_{2}{ }^{\prime} . \mathrm{FV}=\mathrm{ab}_{2}{ }^{\prime}$. <br> 6) At a, draw $T L=a^{\prime} b^{\prime}$ to cut LTV at b 1 and measure $\Phi \& \alpha$. |
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| 10.12) A line AB $\mathbf{6 5 ~ m m}$ long has its end A 20 mm above HP and 25 mm in front of VP. The end $B$ is $\mathbf{4 0} \mathrm{mm}$ above $\mathbf{H P}$ and $\mathbf{6 5 ~ m m}$ in front of the VP. Draw its projections and find its inclination with the HP \&VP. <br> Ans) Given data: $\begin{array}{ll} \mathrm{TL}= & 65 \\ \left(\mathbf{a}^{\prime}, \mathbf{a}\right)= & (20,25) ; \\ \mathbf{B}= & (40,65) \end{array}$ $\Longrightarrow \quad L F V=40 ; \quad \text { LTV }=65$ <br> Logic: End B means here distance of LFV and LTV from x-y. Simply mark the LFV and LTV and then from a' and a, cut arcs of $T L=65$ to get the TL above and below. | 10.14) A line $A B, 90 \mathrm{~mm}$ long is inclined at $45^{0}$ to the HP \& its top view makes an angle of $\mathbf{6 0}{ }^{\mathbf{0}}$ to the VP. The end $\mathbf{A}$ is in HP and $\mathbf{1 2}$ mm in front of VP. Draw its projections \& find $\boldsymbol{\Phi}$. <br> Ans) Given data: $\begin{array}{lll} \left(\mathbf{a}^{\prime}, \mathbf{a}\right) & = & (0,12) \\ \boldsymbol{\theta} & = & \mathbf{4 5} \\ \boldsymbol{\beta} & = & \mathbf{6 0}^{0}(\mathrm{TV} \text { angle in } V P \text { is } \beta) \\ \mathrm{TL} & =90 . \end{array}$ <br> Logic: $\quad$ Since the $T L, \theta \& \beta$ are given, the SL w.r.t VP is found and the same is drawn on line of $\beta$ to get the TV $b_{2}$. On $b_{2}$, LTV is drawn and TL cut on the LTV from a. The simple rule is drawing the TV parallel to $x-y$ line at a \& cut arc w.r.t VP to get the LTV. |
| Steps: 1) $\quad \operatorname{Mark}\left(a^{\prime}, a\right)=(20,25)$ from $x-y$. <br> 2) Draw parallel lines LFV and LTV at 40 above xy and 65 below xy. <br> 3) With a' as centre and 65 radius cut arc on LFV to get TL a'b'. <br> 4) With a as centre and 65 radius cut arc on LTV to get TL $\mathrm{ab}_{1}$. <br> 5) At a, draw arc with Radius $=$ SL ab to get TV ab2. Draw vertical line from b 2 to get front view $\mathrm{b}_{2}{ }^{\prime} . \mathrm{ab}_{2}{ }^{\prime}$ is FV . 6) Measure $\theta, \Phi, \alpha \& \beta$. | Steps: 1) $\operatorname{Mark}\left(a^{\prime}, a\right)=(0,12)$ from $x-y$. <br> 2) Draw TL $\mathbf{a}^{\prime} \mathbf{b}^{\prime}=\mathbf{9 0}$ at $\boldsymbol{\theta}=30^{\circ}$, <br> LFV at $\mathbf{b}^{\prime} \&$ draw $\mathbf{S L} \mathbf{a b}$ ( ab is TV). <br> 3) From a, at $\boldsymbol{\beta}=\mathbf{6 0}^{\mathbf{0}}$, draw line \& cut arc of rad = ab to get TV ab $\mathbf{a b}_{2}$. Project $\mathbf{b}_{\mathbf{2}}$ up on LFV to get $\mathbf{b}_{\mathbf{2}}{ }^{\prime}$ and $\mathbf{F V} \mathbf{a}^{\prime} \mathbf{b}_{\mathbf{2}}{ }^{\prime}$. <br> 4) At $\mathbf{b}_{2}$, draw LTV \\| to $x-y \&$ cut arc with $\mathbf{r a d}=90$ to get $\mathbf{T L} \mathbf{a b}_{1}$. <br> 6) Measure angles $\Phi \& \alpha \&$ length of $\mathrm{FV} \mathrm{a}^{\prime} \mathrm{b}_{2}$. |
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| 10.8) A line AB 50 mm long is inclined at $\mathbf{3 0}{ }^{0}$ to the HP \& $\mathbf{4 5}^{\mathbf{0}}$ to VP. Its end $\mathbf{A}$ is both HP \& VP. Draw its projections and find its inclinations $\alpha \& \beta$. <br> Ans) Given data: $\begin{array}{lll} \mathbf{T L} & = & \mathbf{5 0} \\ \boldsymbol{\theta} & = & \mathbf{3 0}^{0} \\ \mathbf{\Phi} & = & \mathbf{4 5}^{0} \\ \mathbf{( \mathbf { a }}, \mathbf{a}) & = & \mathbf{( 0 , 0} \mathbf{0}) \end{array}$ <br> Logic: $\quad$ Since the $T L, \theta \& \Phi$ are given, we can get the LFV \& LTV. Also the SL can be got in each case. To get the projections in TV \& FV, we use the simple rule of drawing the SL parallel to $x-y$ line and drawing ares to cut LFV \& LTV. | 10.11) The top view of a 75 mm long line measures $\mathbf{6 5 ~ m m}$ and its front view measures 50 mm . Its one end is in the $\mathbf{H P}$ and $\mathbf{1 2} \mathrm{mm}$ in front of VP. Draw its projections and find its inclination with HP and VP. <br> Ans) Given data: $\begin{array}{ll} \left(\mathbf{a}^{\prime}, \mathbf{a}\right) & = \\ \mathbf{T L} & = \\ \mathbf{0}, 12) \\ \text { FV } & = \\ \text { TV } & =\mathbf{5 0} \\ \text { TV. } \end{array}$ <br> Logic: Since only lengths are given, $\alpha \& \beta$ are found from the simple rule of drawing the TV parallel to $x-y$ line at a and projecting it above to cut TL w.r.t HP\& drawing FV parallel to $x-y$ line at a' and projecting it below to cut TL w.r.t VP. |
| Steps: 1) $\operatorname{Mark}\left(a^{\prime}, a\right)=(0,0)$ from x-y. <br> 2) Draw TL a'b'=50 at $\boldsymbol{\theta}=30^{\circ}$ and then draw its top view SL ab. <br> 3) Draw TL ab ${ }_{1}=50$ at $\boldsymbol{\Phi}=45^{0}$ and then draw its front view SL $a^{\prime} b_{1}$ '. <br> 4) Draw LFV on b' \& LTV on $b_{1}$. <br> 5) For $\mathbf{F V}$, take rad $\underline{\mathbf{a}}^{\prime} \mathbf{b}_{1} \mathbf{}^{\prime}$ with $\underline{\mathbf{a}} \mathbf{'}^{\prime}$ as centre and cut on LFV to get $\mathrm{FV} \mathrm{a}^{\prime} \mathrm{b}_{2}{ }^{\prime}$. <br> 4) For TV, take rad $\underline{\mathbf{a b}}$ with $\underline{\mathbf{a}}$ as centre and cut arc on LTV to get TV ab. <br> 5) Draw vertical line from b2' to $\mathrm{b}_{2}$. | Steps: 1) $\quad \operatorname{Mark}\left(a^{\prime}, a\right)=(0,15)$ from $x-y$. <br> 2) At $\mathbf{a}^{\prime}$, mark $\mathbf{F V} \mathbf{a}^{\prime} \mathbf{b}_{\mathbf{1}}{ }^{\prime}=\mathbf{5 0} \\|$ to $\mathbf{x}-\mathbf{y}$ \& project it below to cut TL at ab ${ }_{1}$. <br> 3) At a, mark TV ab=65 \\| to $x-y \&$ project it above to cut TL at a'b'. <br> 4) At $\mathbf{b}^{\prime}$, draw LFV \\| to $\mathbf{x}-\mathbf{y}$ \& at $\mathbf{b}$, draw LTV \\| to x-y. <br> 5) Draw $\mathbf{F V}$ at $\mathbf{a}^{\prime}$, with $\mathrm{rad}=50 \&$ TV at a with radius $=65$. <br> 6) Measure $\theta, \Phi, \alpha \& \beta$ |
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